Homework for Beam-based Diagnostics USPAS Knoxville, TN, January 2019 Christoph Steier, LBNL/ALS-U James Safranek, SLAC/SSRL Xiaobiao Huang, SLAC/SSRL





Web server

- The primary webpage for the whole class is <u>http://www2.als.lbl.gov/als_physics/csteier/uspas19/</u>
- All lectures, computer classes, homework assignments,
 ... are, or will be posted there
- Specifically, homework can be accessed from http://www2.als.lbl.gov/als_physics/csteier/uspas19/com puclass.html





Monday: Motivation for Homework



Left: Simplified flow diagram for setup of storage ring lattice. Steps usually need to be done iteratively (because of hysteresis, ...). This homework example addresses simplified dispersion and chromaticity correction.

Dispersion: $\eta_x = \Delta x / (\Delta p/p)$

Chromaticity: $\zeta = \Delta v / (\Delta p/p)$

Momentum compaction factor:

 $\alpha = (\Delta L/L) / (\Delta p/p)$





Computer Homework #1 (due Tuesday)

Computer Homework #1: Dispersion & Chromaticity – using ALS as example Given the following middle layer commands:

startup_bbd; % Initialize Matlab middle layer

setpathals; % Initialize middle layer for ALS Storage Ring – Important

% Ignore warning about iGptools, those are not

% necessary for your purpose (multibunch feedbacks)

- x = getam('BPMx'); % Horizontal orbit at BPMs(121x1)
- RF = getrf; % Get the RF frequency (MHz)
- setrf(RF); % Set the RF frequency (MHz)
- Tune = gettune; % Tune [NuX; NuY]
- alpha = getmcf; % Momentum compaction factor
- quad_curr = getpv('QF'); % get quadrupole strength for 'QF' % similar for 'QD', 'QDA', 'QFA'

setpv('QF',quad_curr); % set quadrupole current – also 'QD', ...
sext_curr = getpv('SF'); % get sextupole strength for 'SF' % similar for 'SD'
setpv('SF',sext_curr); % set sextupole current – also 'SD', ...





Computer Homework #1 (due Tuesday)

Write a Matlab script to (for the ALS, i.e. after using >>setpathals):

- -> select 'Storage Ring'
- 1. Plot (see >>help plot) the horizontal dispersion function: $\eta_x = \Delta x / (\Delta p/p)$. Calculate the dispersion yourself, based on calls on slide 4 (getam('BPMx'), ...).

Note: $(\Delta p/p) = -(1/\alpha)(\Delta f/f)$, Use: $\pm 0.1\%$ energy change

- 2. Plot the horizontal tune versus energy offset (compute tune at [-.4% .2% 0 .2% .4%] energy changes again: $(\Delta p/p) = -(1/\alpha)(\Delta f/f)$)
- 3. Compute the horizontal chromaticity by using a numerical derivative around 0 or a (linear) fit (>>help polyfit)
- 4. Change each sextupole family (SF, SD) one at a time (by 1%) and determine which family is more effective to correct the horizontal chromaticity. Provide a guess why this is the case (>>modelbeta('SF'), >>modelbeta('SF'), >>modelbeta('SF'), >>modelbeta('SF'), >>modeldisp('SF'), >>modeldisp('SD') and attached slides 6+7 should be a help).
- 5. Test sensitivity of dispersion to different quadrupole families ('QF', 'QD', 'QFA', 'QDA'). Change one quadrupole family at a time by 1.0%, plot relative change in dispersion. Which family has biggest effect. Provide a guess why this is the case (hint: dispersion at quadrupole location).





Chromatic Aberration Correction

By including dispersion and sextupoles it is possible to compensate (to first order) for chromatic aberrations



The sextupole gives a position dependent Quadrupole

$$B_x = 2Sxy$$
$$B_y = S(x^2 - y^2)$$







Chromatic Aberration Correction

Chromaticity, ν^{\prime} , is the change in the tune with energy

$$\boldsymbol{\nu}^{\mathsf{T}} = \frac{d\nu}{d\delta}$$

Sextupoles can change the chromaticity

$$\Delta v_{x}' = \frac{1}{2\pi} \left(\Delta S \beta_{x} D_{x} \right)$$

$$\Delta v_{y}' = -\frac{1}{2\pi} \left(\Delta S \beta_{y} D_{x} \right)$$

where

$$\Delta S = \left(\frac{\partial^{2} B_{y}}{\partial x^{2}} \right) \cdot \text{length} / (2B\rho)$$



